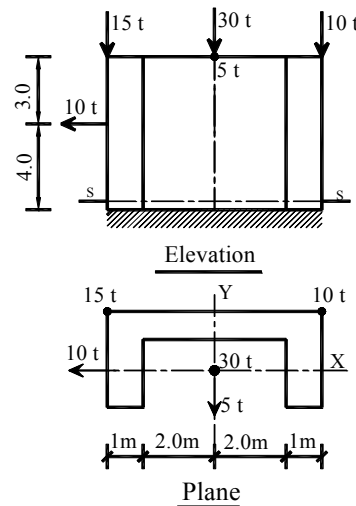


### NORMAL STRESSES

#### Question.1

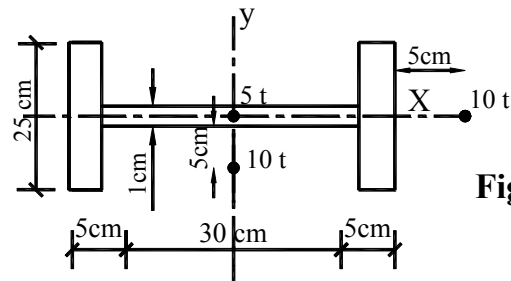
For the structure shown in Fig.1, draw the normal stress distribution at section "S-S" then check the results by means of core. Take the unit weight  $2.0 \text{ t/m}^3$ .



**Fig.1**

#### Question.2

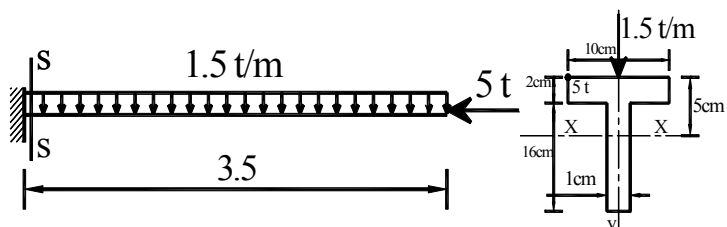
For the cross section shown in Fig.2, draw the normal stress distribution.



**Fig.2**

#### Question.1

For the structure shown in Fig.3, draw the normal stress distribution at section "S-S" then check the results by means of core.

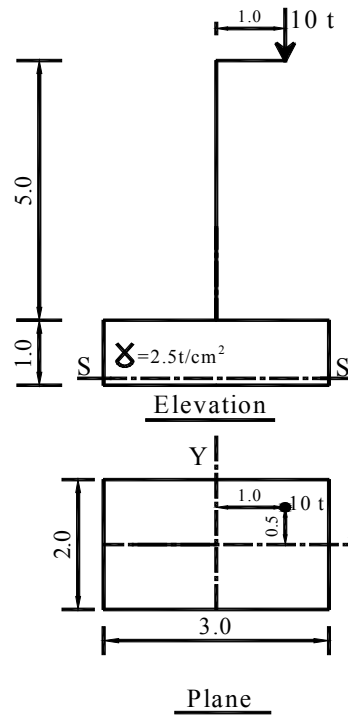


**Fig.3**

Prop. OF (C.S)  
 $A = 36 \text{ cm}^2$   
 $I_x = 1068 \text{ cm}^4$   
 $I_y = 168 \text{ cm}^4$

#### Question.4

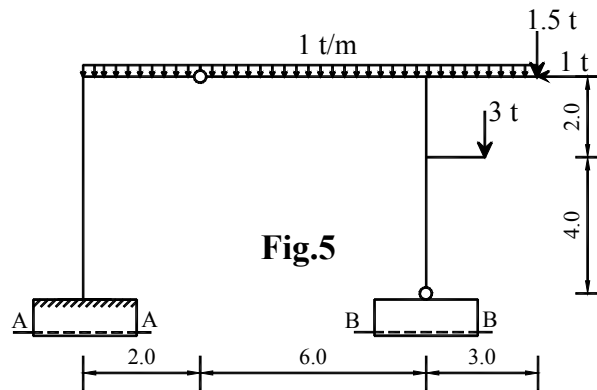
For the structure shown in Fig.4, draw the normal stress distribution at section "S-S" then check the results by means of core.



**Fig.4**

#### Question.5

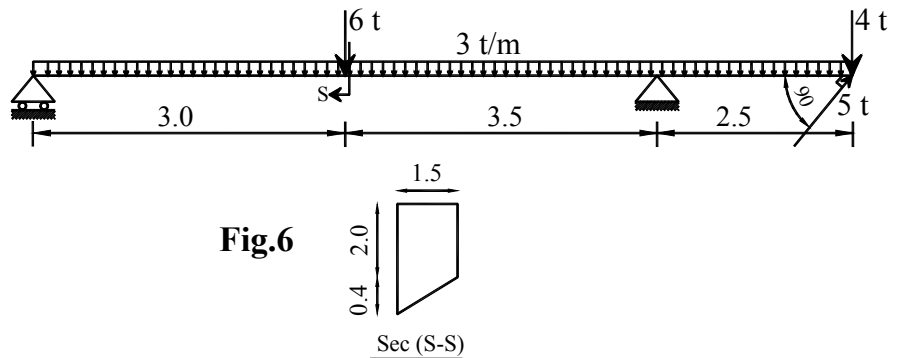
For the frame shown in Fig.5, draw the normal stress distribution at section "A-A", "B-B". Each footing has a square cross section of 2 m side length. Weight of the footing is  $2.2 \text{ t/m}^3$ .



**Fig.5**

#### Question.6

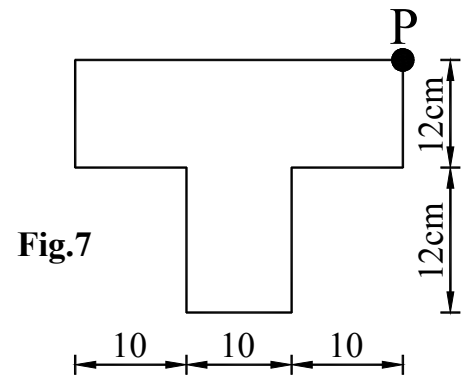
For the beam shown in Fig.6, draw the normal stress distribution at section "S-S".



**Fig.6**

### Question.7

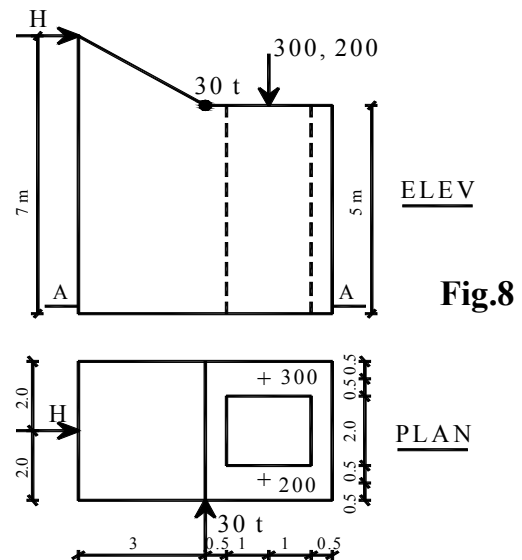
The cross section shown in Fig.7 is subjected to a compressive  $P$  at the indicated location. Find the maximum value of  $P$  so that the maximum compressive stress may not exceed  $100 \text{ kg/cm}^2$  and the maximum tensile stress  $20 \text{ kg/cm}^2$ . Check the results using core method.



### Question.8

For the structure shown in Fig.8:

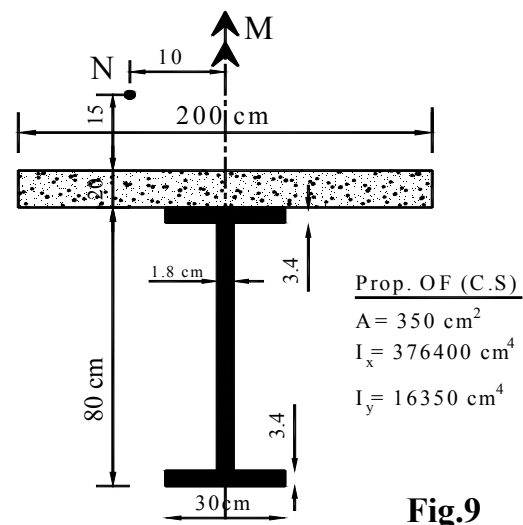
- a- Draw the normal stress distribution at sec A-A at the base if  $H=30t$
- b- Determine the maximum value of  $H$  if no tensile stress occurs at Sec S-S.
- c- Check the results obtained in the above two cases by means of core.



### Question.9

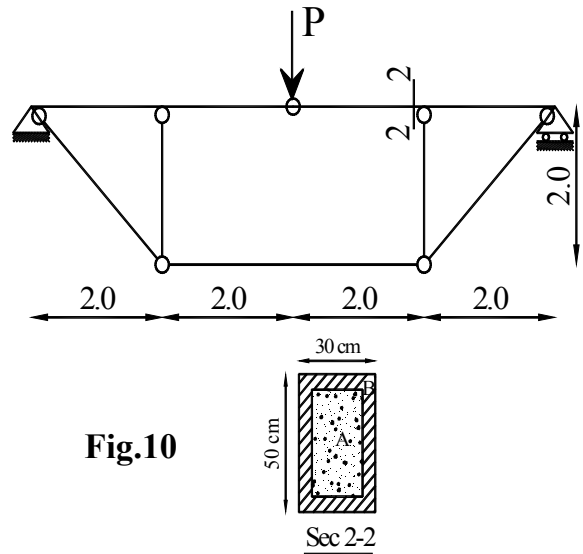
The composite element shown in the Fig.9 consists of steel section having properties as indicated, and a concrete slab 20 cm thick. The modulus of elasticity of steel and concrete are  $2000 \text{ t/cm}^2$  and  $200 \text{ t/cm}^2$  respectively. It is required to calculate the stresses induced due to each of the following straining actions, acting as indicated in the Fig.

- (i)  $M= 60 \text{ t.m}$
- (ii)  $N_1 = - 100t$



### Question.10

A simple beam is composed of 2 materials A and B as shown in Fig.10, material A is a rectangular cross section  $26 \times 46$  cm,  $E_A = 210$  t/cm<sup>2</sup>,  $\sigma_{\text{ten}} = 20$  t/cm<sup>2</sup>,  $\sigma_{\text{comp}} = 70$  t/cm<sup>2</sup>. Material B is a hollow box section  $26 \times 46$  cm internal dimension and  $30 \times 50$  cm external dimension  $E_B = 2100$  t/cm<sup>2</sup>,  $\sigma_{\text{ten}} = \sigma_{\text{comp}} = 1000$  t/cm<sup>2</sup>. Find the normal stress distribution on section 2-2 as a function of P, then find the maximum allowable load P, find also the part of P resisted by Material B.



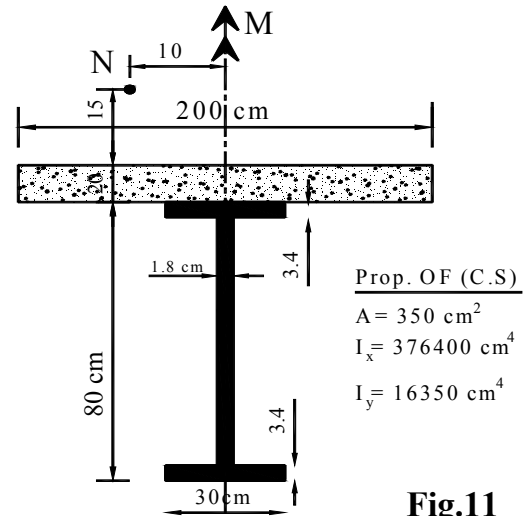
**Fig.10**

### Question.11

The composite element shown in the Fig consists of steel section having properties as indicated, and a concrete slab 20 cm thick. The modules of elasticity of steel and concrete are 2000 t/cm<sup>2</sup> and 200 t/cm<sup>2</sup> respectively. It is required to calculate the stresses induced due to each of the following straining actions, acting as indicated in the Fig.

(i)  $M = 60$  t.m

(ii)  $N_1 = -100$  t



**Fig.11**